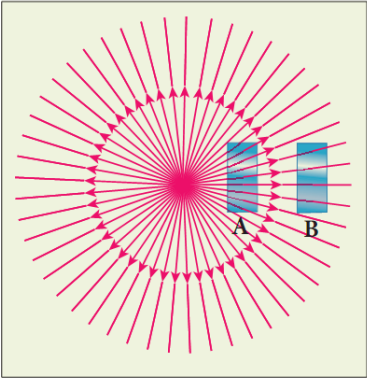
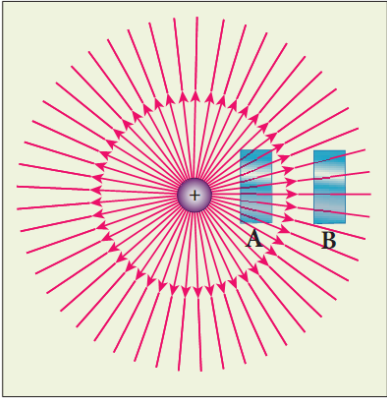
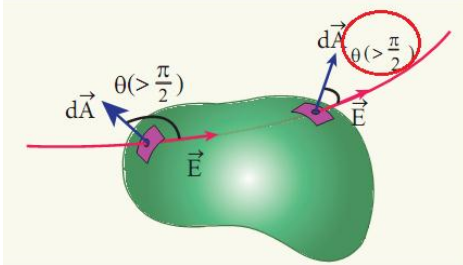
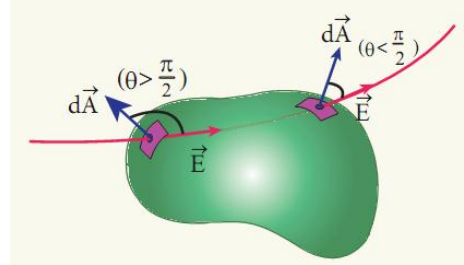
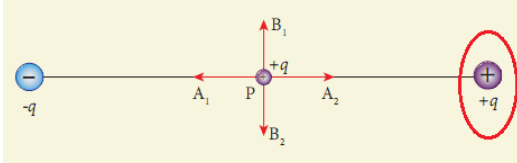
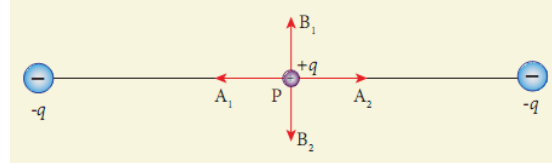


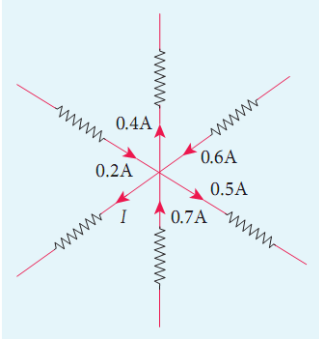
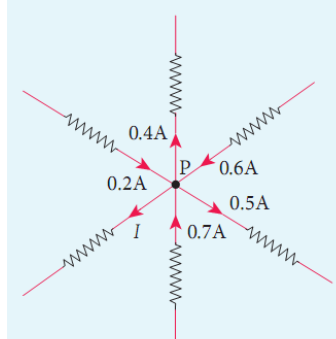
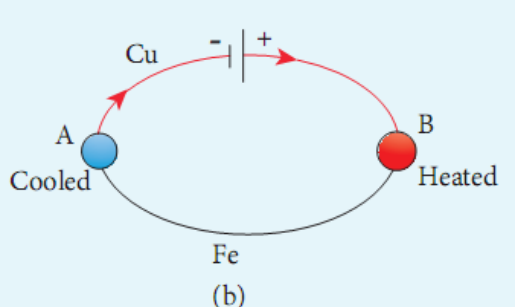
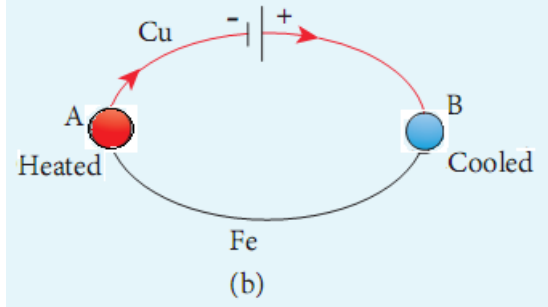
S.No	Page No	Error	Correction
1	7	<p>EXAMPLE 1.3</p> <p>Two small-sized identical equally charged spheres, each having mass 1 mg are hanging</p>	<p>EXAMPLE 1.3</p> <p>Two small-sized identical equally charged spheres, each having mass 1g are hanging</p>
2	9	$\left. \dots + \frac{q_1 q_2}{r_{n1}^2} \hat{r}_{n1} \right\} \quad (1.3)$	$\left. \dots + \frac{q_1 q_n}{r_{n1}^2} \hat{r}_{n1} \right\} \quad (1.3)$
3	16	$= -3.95 \times 10^{20} (\hat{i} + \hat{j}) N$	$= -3.95 \times 10^{20} (\hat{i} + \hat{j}) N kg^{-1}$
4	19	 <p>Figure 1.13 Electric field has larger magnitude at surface A than B</p>	 <p>Figure 1.13 Electric field has larger magnitude at surface A than B</p>
5	29	<p>(c) Calculate the work done to bring a test charge $+2\mu C$ from infinity to the point P. Assume the charge $+9\mu C$</p>	<p>(c) Calculate the work done to bring a test charge $+2\mu C$ from infinity to the point Q. Assume the charge $+9\mu C$</p>
6	30	<p>(c) The electric potential V at a point P due to some charge is defined as the work done by an external force to bring a unit positive charge from infinity to P. So to bring the q amount of charge from infinity to the point P, work done is given as follows.</p>	<p>(c) The electric potential V at a point Q due to some charge is defined as the work done by an external force to bring a unit positive charge from infinity to Q. So to bring the q amount of charge from infinity to the point Q, work done is given as follows.</p>

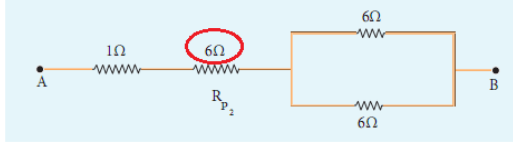
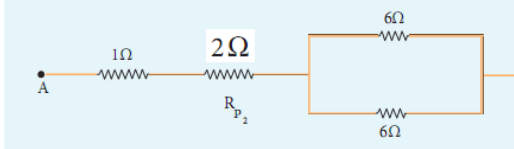
7	36	$W_s = -\frac{1}{4\pi\epsilon_0} q \left(2 - \frac{1}{\sqrt{2}} \right)$	$W_s = -\frac{1}{4\pi\epsilon_0} q^2 \left(2 - \frac{1}{\sqrt{2}} \right)$
8	40		
9	73		
10	74	(a) 10 J (b) - 20 J (c) +20 J (d) -10J	(a) 10 V (b) - 20 V (c) +20 V (d) -10 V
11	75	1) b 2) c 3) d 4) b 5) a 6) b 7) c 8) a 9) b 10) b	1) b 2) c 3) d 4) b 5) a 6) b 7) c 8) a 9) c 10) b
12	77	Ans: $F_e = 9 \times 10^{61} \text{ N}$, $W = 588 \text{ N}$	$F_e = 23 \times 10^{23} \text{ N}$, $W = 588 \text{ N}$, $\frac{F_e}{W} = 3.9 \times 10^{21}$
13	78	Ans: $\Delta U = -3.246 \text{ J}$, negative sign implies that to move the charge $-2\mu\text{C}$ no external work is required. System spends its stored energy to move the charge from point a to point b.	Ans: $\Delta U = +1.12 \text{ J}$, Positive sign implies that to move the charge $-2\mu\text{C}$ external work is required.
14	79	(d) across PQ: $\frac{C_1 C_2 C_3 + C_2 C_3 C_4 + C_1 C_2 C_4 + C_1 C_3 C_4}{(C_1 + C_2)(C_3 + C_4)}$ across RS: $\frac{C_1 C_2 C_3 + C_2 C_3 C_4 + C_1 C_2 C_4 + C_1 C_3 C_4}{(C_1 + C_2)(C_3 + C_4)}$	(d) across PQ: $\frac{C_1 C_2 C_3 + C_2 C_3 C_4 + C_1 C_2 C_4 + C_1 C_3 C_4}{(C_1 + C_3)(C_2 + C_4)}$ across RS: $\frac{C_1 C_2 C_3 + C_2 C_3 C_4 + C_1 C_2 C_4 + C_1 C_3 C_4}{(C_1 + C_2)(C_3 + C_4)}$
15	2	(iii) The charged amber rod attracts the	(iii) The charged rubber rod attracts the
16	14	$\vec{E}_R = 0.56 \times 10^3 \hat{i} \text{ NC}^{-1}$	$\vec{E}_Q = 0.5 \times 10^3 \text{ NC}^{-1} \hat{i}$

17	14		
18	17	$\vec{E} = \frac{1}{4\pi\epsilon_0} \int \frac{\sigma d\vec{a}}{r^2} = \frac{1}{4\pi\epsilon_0} \sigma \int \frac{d\vec{a}}{r^2}$	$\vec{E} = \frac{1}{4\pi\epsilon_0} \int \frac{\sigma dA \hat{r}}{r^2} = \frac{1}{4\pi\epsilon_0} \sigma \int \frac{dA \hat{r}}{r^2}$
19	34	$\vec{E} = -\left(\frac{\partial V}{\partial x} \hat{i} + \frac{\partial V}{\partial y} \hat{j} + \frac{\partial V}{\partial z} \hat{k}\right) \quad (1.44)$	$\vec{E} = -\left(\frac{\partial V}{\partial x} \hat{i} + \frac{\partial V}{\partial y} \hat{j} + \frac{\partial V}{\partial z} \hat{k}\right) \quad (1.44)$
20	35	The electrostatic potential is	The electrostatic potential energy is
21	57	$\epsilon_0 = 8.85 \times 10^{-12} \text{ Nm}^2 \text{ C}^{-2}$	$\epsilon_0 = 8.85 \times 10^{-12} \text{ N} \cdot \text{m}^{-2} \text{ C}^2$
22	66	$\sigma_1 = \frac{80 \times 10^{-9}}{4\pi \times 64 \times 10^{-4}} = 0.99 \times 10^{-6} \text{ C m}^{-2}$	$\sigma_1 = \frac{80 \times 10^{-9}}{4 \times 64 \times 10^{-4}} = 0.99 \times 10^{-6} \text{ C m}^{-2}$
23	24		
24	79	$t_p = \sqrt{\frac{2hm_e}{eE}} \approx 63 \text{ ns}$	$t_p = \sqrt{\frac{2hm_p}{eE}} \approx 63 \text{ ns}$
25	44	Here $\Phi_E = \int_{\text{Curved surface}} dA = \text{total area of the curved}$	Here $\int_{\text{Curved surface}} dA = \text{total area of the curved}$

Unit 2 (English medium)

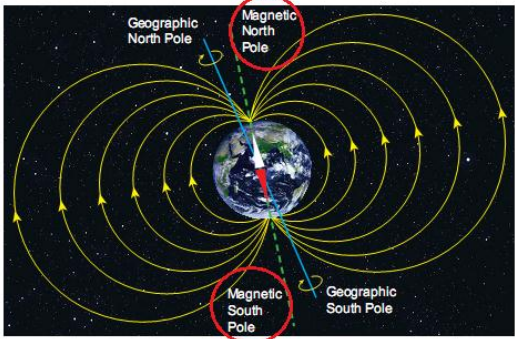
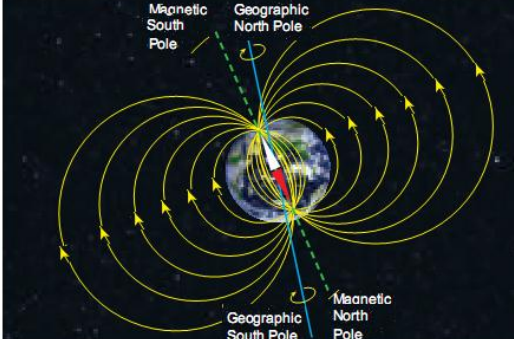
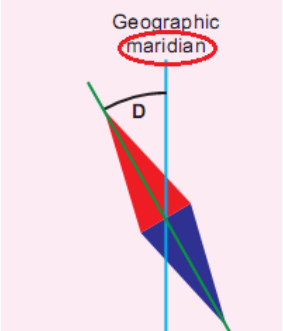
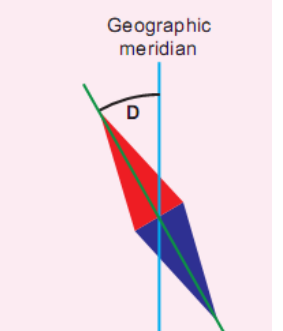
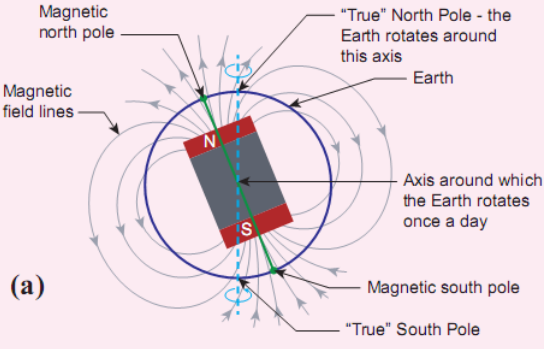
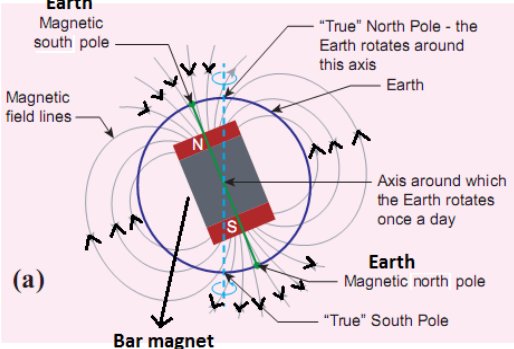
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1.	100	$P = \frac{dV}{dt} = \frac{d}{dt}(V \cdot dQ) = V \frac{dQ}{dt} \quad (2.31)$	$P = \frac{dW}{dt} = \frac{d}{dt}(V \cdot dQ) = V \frac{dQ}{dt} \quad (2.31)$																		
2	122	Answers 1) a 2) b 3) c 4) b 5) a	1) a 2) a 3) c 4) b 5) a																		
3	124	cm long. What is the resistivity of rod between its ends?	Resistance																		
4	124	<table border="1"> <tr> <td>Voltage</td> <td>$V_A = \frac{\xi}{3R}$</td> <td>$V_A = \frac{\xi}{2R}$</td> </tr> <tr> <td></td> <td>$V_B = \frac{\xi}{3R}$</td> <td>$V_B = \frac{\xi}{2R}$</td> </tr> <tr> <td></td> <td>$V_C = \frac{\xi}{3R}$</td> <td>$V_C = 0$</td> </tr> </table>	Voltage	$V_A = \frac{\xi}{3R}$	$V_A = \frac{\xi}{2R}$		$V_B = \frac{\xi}{3R}$	$V_B = \frac{\xi}{2R}$		$V_C = \frac{\xi}{3R}$	$V_C = 0$	<table border="1"> <tr> <td>Voltage</td> <td>$V_A = \frac{\xi}{3}$</td> <td>$V_A = \frac{\xi}{2}$</td> </tr> <tr> <td></td> <td>$V_B = \frac{\xi}{3}$</td> <td>$V_B = \frac{\xi}{2}$</td> </tr> <tr> <td></td> <td>$V_C = \frac{\xi}{3}$</td> <td>$V_C = 0$</td> </tr> </table>	Voltage	$V_A = \frac{\xi}{3}$	$V_A = \frac{\xi}{2}$		$V_B = \frac{\xi}{3}$	$V_B = \frac{\xi}{2}$		$V_C = \frac{\xi}{3}$	$V_C = 0$
Voltage	$V_A = \frac{\xi}{3R}$	$V_A = \frac{\xi}{2R}$																			
	$V_B = \frac{\xi}{3R}$	$V_B = \frac{\xi}{2R}$																			
	$V_C = \frac{\xi}{3R}$	$V_C = 0$																			
Voltage	$V_A = \frac{\xi}{3}$	$V_A = \frac{\xi}{2}$																			
	$V_B = \frac{\xi}{3}$	$V_B = \frac{\xi}{2}$																			
	$V_C = \frac{\xi}{3}$	$V_C = 0$																			
5	115	60°C. (The specific heat of water is $s = 4200 \text{ J kg}^{-1}$)	60°C. (The specific heat of water is $s = 4200 \text{ J kg}^{-1} \text{ K}^{-1}$)																		
6	116	$s = 4200 \text{ J kg}^{-1}$,	$s = 4200 \text{ J kg}^{-1} \text{ K}^{-1}$																		
7	85	Figure 2.4 Electric current	Figure 2.4 Zig-zag motion and drift velocity																		
8	93	$V_2 = IR_2 = 2.4 \text{ A} \times 6 \Omega = 14.4 \text{ V}$	$V_2 = IR_2 = 2.4 \text{ A} \times 6 \Omega = 14.4 \text{ V}$																		
9	108																				
10	118																				

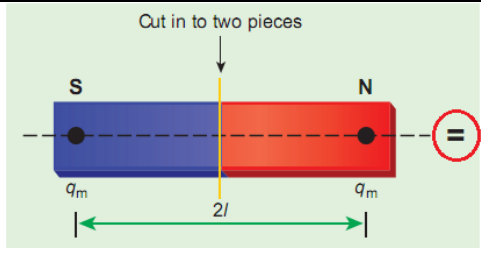
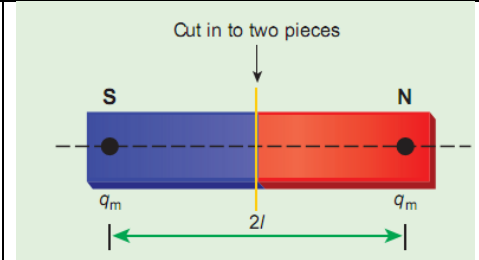
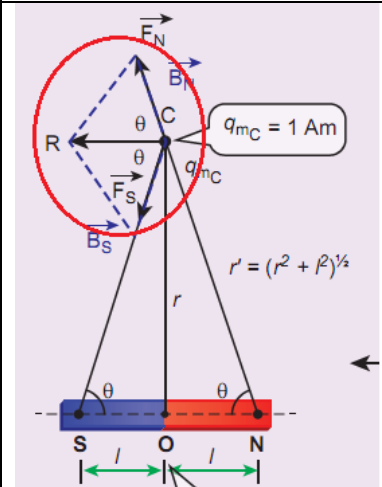
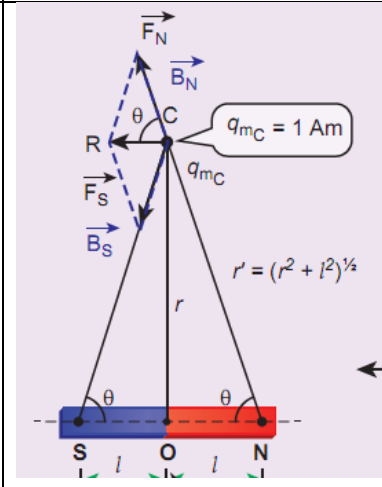
11	124	6. Three identical lamps each having a resistance R are connected to the battery of emf ξ as shown in the figure.	6. Three identical lamps each having a resistance R are connected to the battery of emf ξ as shown in the figure.
12	122	15. In Joule's heating law, when I and t are constant, if the H is taken along the y axis and I^2 along the x axis, the graph is a) straight line b) parabola c) circle d) ellipse	15. In Joule's heating law, when R and t are constant, if the H is taken along the y axis and I^2 along the x axis, the graph is a) straight line b) parabola c) circle d) ellipse
	94	$I_1 = \frac{V}{R_1} = \frac{24V}{6\Omega} = 6A$ $I_2 = \frac{V}{R_2} = \frac{24}{6} = 4A$	$I_1 = \frac{V}{R_1} = \frac{24V}{4\Omega} = 6A$ $I_2 = \frac{V}{R_2} = \frac{24}{6} = 4A$
13	95		
14	122	9. In a large building, there are 15 bulbs of 40W, 5 bulbs of 100W, 5 fans of 80W and 1 heater of 1kW are connected. The voltage of electric mains is 220V. The minimum capacity of the main fuse of the building will be (IIT-JEE 2014)	9. In a large building, there are 15 bulbs of 40W, 5 bulbs of 100W, 5 fans of 80W and 1 heater of 1kW are connected. The voltage of electric mains is 220V. The maximum capacity of the main fuse of the building will be (IIT-JEE 2014)
15	94	$R_2 = \frac{56}{15} \Omega \quad (3)$	$R_2 = \frac{56}{R_1} \Omega \quad (3)$
16	116	current exceeds a certain value. Lead and copper wire melts and burns out when	current exceeds a certain value. Lead, Tin and copper wire melts and burns out when

Unit 3(English medium)

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1	128	• Magnetic induction at a point due to axial line and	Magnetic field

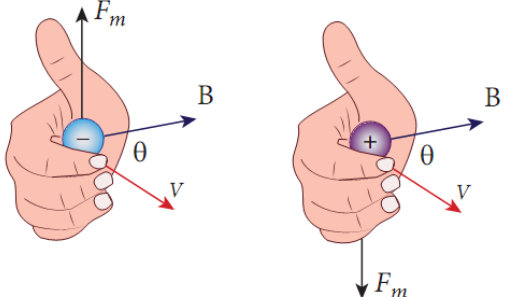
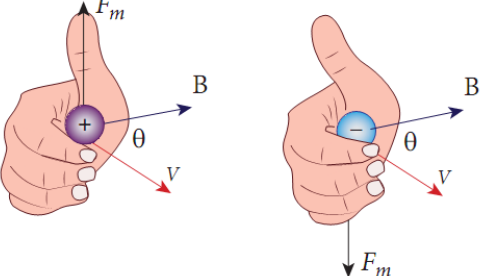
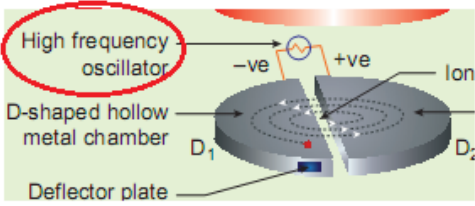
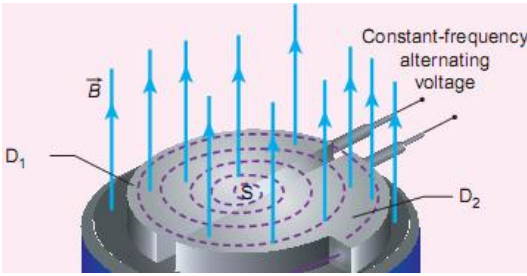
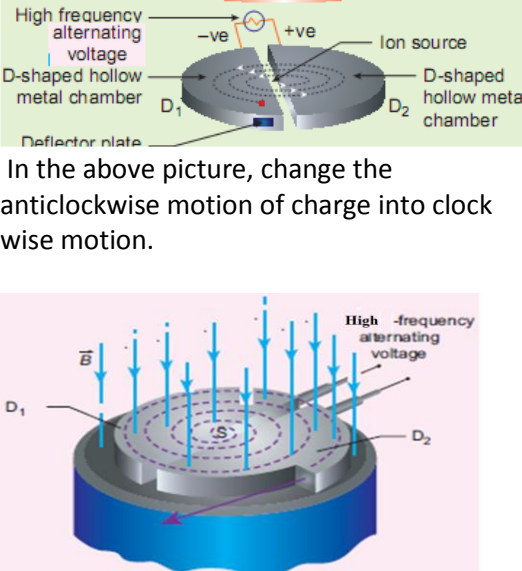
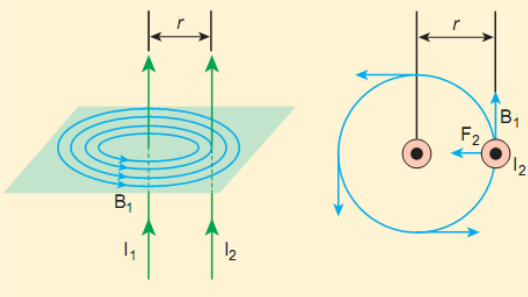
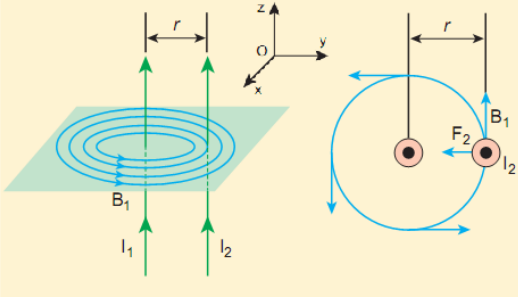
2	130	<p>geographic north pole (Figure 3.3). Similarly, the south pole of magnetic compass needle is attracted towards the geographic north pole of the Earth which is near magnetic north-pole. The branch of physics which deals</p>	<p>geographic north pole (Figure 3.3). Similarly, the south pole of magnetic compass needle is attracted towards the geographic south pole of the Earth which is near magnetic north-pole. The branch of physics which deals</p>
3	130	 <p>Figure 3.3 Earth's magnetic field</p>	 <p>Figure 3.3 Earth's magnetic field</p>
4	130		
5	130		

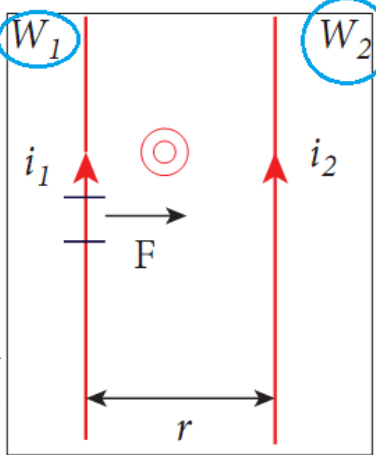
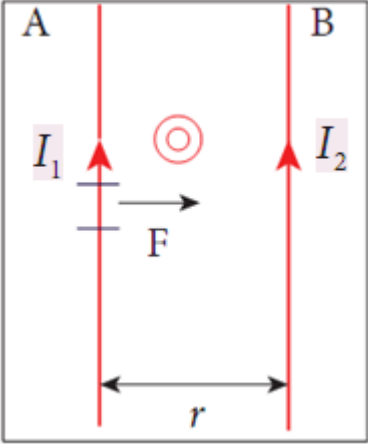
6	131		
7	131		
8	132	<p>Calculate the angle of dip and resultant magnetic field.</p> <p>Solution:</p> <p>$B_H = 0.15 \text{ G}$ and $B_V = 0.26 \text{ G}$</p>	<p>Calculate the angle of dip and resultant magnetic field.</p> <p>(G -Gauss, cgs unit for magnetic field, $1 \text{ G} = 10^{-4} \text{ T}$)</p> <p>Solution:</p> <p>$B_H = 0.15 \text{ G}$ and $B_V = 0.26 \text{ G}$</p>
9	136	<p>(d) Magnetic flux</p> <p>The number of magnetic field lines crossing per unit area is called magnetic flux Φ_B. Mathematically, the magnetic flux</p>	<p>(d) Magnetic flux</p> <p>The number of magnetic field lines crossing a given area is defined as magnetic flux Φ_B. Mathematically, the magnetic flux</p>
10	138		

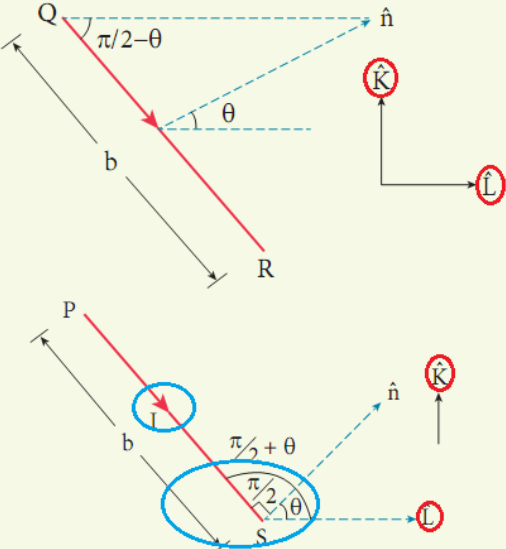
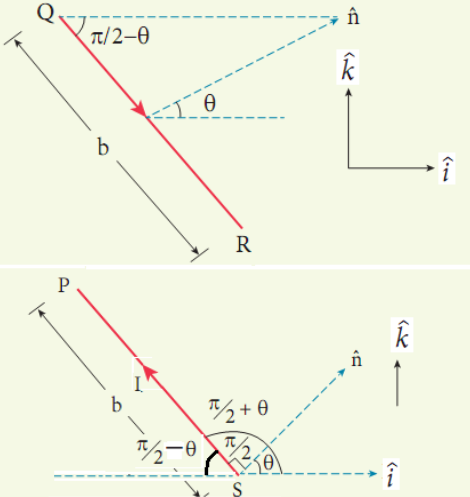
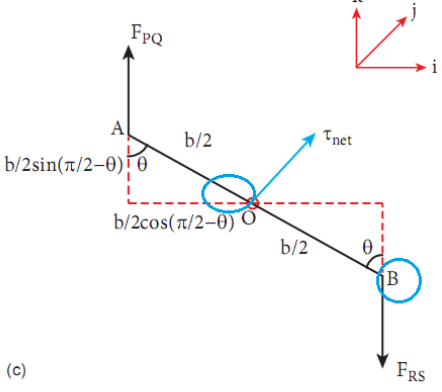
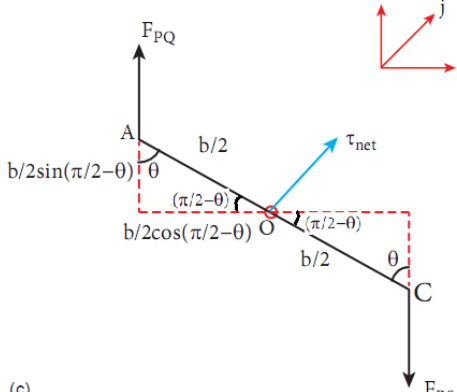
11	135		
12	136	<p>2. The direction of magnetic field at any point on the curve is known by drawing tangent to the magnetic line of force at</p>	Magnetic field lines
13	138	<p>Note Here the integral is taken over area.</p> <p>Let X and Y be two planar strips whose orientation is such that the direction of area vector of planar strips is parallel to the direction of the magnetic</p>	<p>Note</p> <p>Let X and Y be two planar strips whose orientation is such that the direction of area vector of planar strips is</p>
14	139	<p>Figure 3.15 Coulomb's law – force between two magnetic pole strength</p>	<p>Figure 3.15 Coulomb's law – force between two magnetic pole</p>
15	140	$\vec{F} \propto \frac{q_{m_A} q_{m_B}}{r^2} \hat{r}$ <p>where m_A and m_B</p>	$\vec{F} \propto \frac{q_{m_A} q_{m_B}}{r^2} \hat{r}$ <p>where q_{m_A} and q_{m_B}</p>
16	140	<p>($q_{m_C} = 1 \text{ A m}$)</p>	<p>($q_{m_C} = 1 \text{ A m}$)</p>
17	142		

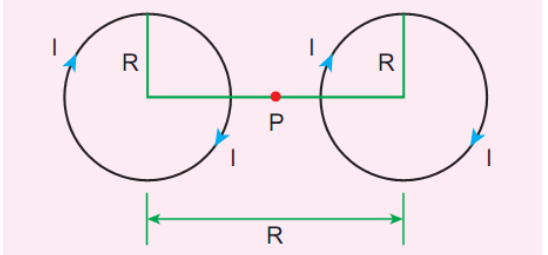
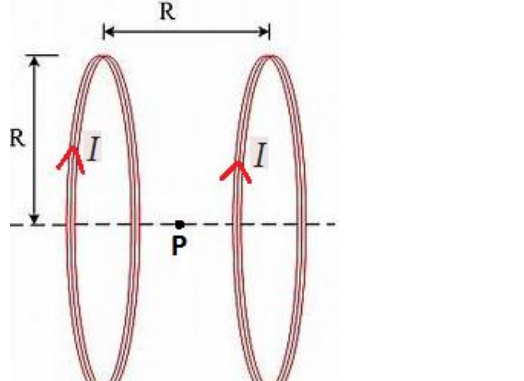
18	142		
19	144	$T = 2\pi \sqrt{\frac{1}{\rho_m B}}$ in second,	$T = 2\pi \sqrt{\frac{I}{\rho_m B}}$ in second,
20	150	$\vec{B} = \vec{B}_o + \vec{B}_m = \mu_o \vec{H} + \mu_o \vec{I}$ $\Rightarrow \vec{B} = \vec{B}_o + \vec{B}_m = \mu_o (\vec{H} + \vec{I}) \quad (3.35)$	$\vec{B} = \vec{B}_o + \vec{B}_m = \mu_o \vec{H} + \mu_o \vec{M}$ $\Rightarrow \vec{B} = \vec{B}_o + \vec{B}_m = \mu_o (\vec{H} + \vec{M}) \quad (3.35)$
21	151	$\vec{I} = \frac{\text{Magnetic moment}}{\text{Volume}} = \frac{2}{25 \times 10^{-6}}$	$M = \frac{\text{Magnetic moment}}{\text{Volume}} = \frac{2}{25 \times 10^{-6}}$
22	157	<p>Hysteresis loop for magnetic material</p>	<p>Hysteresis loop for magnetic material</p>

23	163	is maximum and is given by $d\vec{B} = \frac{I d\vec{l}}{r^2} \hat{n}$	is maximum and is given by $d\vec{B} = \frac{\mu_0 I d\vec{l}}{4\pi r^2} \hat{n}$
24	165	$\cos \phi_1 = \frac{\frac{y}{2}}{\sqrt{\frac{y^2}{4} + a^2}} = \frac{\text{adjacent length}}{\text{hypotenuse length}}$ $= \frac{ON}{PN} = \frac{y}{\sqrt{y^2 + 4a^2}}$	$\cos \phi_1 = \frac{\text{adjacent length}}{\text{hypotenuse length}} = \frac{ON}{PN}$ $= \frac{\frac{y}{2}}{\sqrt{\frac{y^2}{4} + a^2}} = \frac{y}{\sqrt{y^2 + 4a^2}}$
25	166	$PC = PD = r = \sqrt{R^2 + Z^2}$	$PC = PD = r = \sqrt{R^2 + z^2}$
26	167		
27	167	<p>Solution</p> <p>The magnetic field due to current in the upper hemisphere and lower hemisphere</p>	Semicircle
28	169	<p>Note</p> <p>Line integral means integral over a line or curve, symbol used is \int.</p>	<p>Note</p> <p>Line integral means integral over a line or curve, symbol used is \int_c.</p>

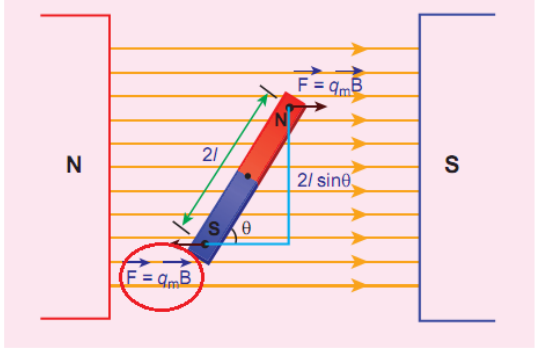
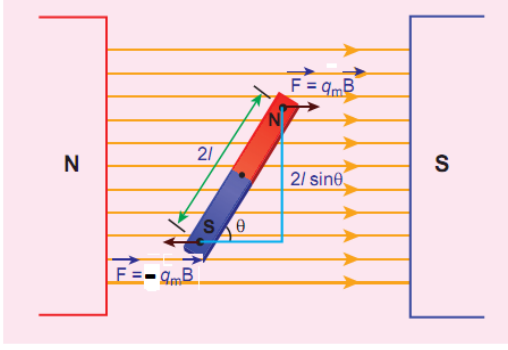
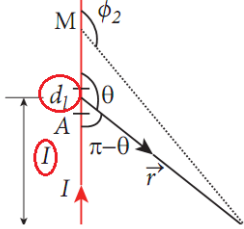
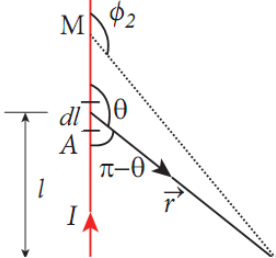
29	175	$\vec{F} = q\vec{E}(\vec{v} \times \vec{B})$. It is known as Lorentz force.	$\vec{F} = q(\vec{E} + \vec{v} \times \vec{B})$
30	175		
31	182	 	 <p>In the above picture, change the anticlockwise motion of charge into clockwise motion.</p>
32	183	When a current carrying conductor	When a current carrying conducting wire
33	184	wire is $I d\vec{l} = -enA\vec{v}_d dl$ Therefore the force	wire is $I d\vec{l} = -enA\vec{v}_d dl$. Therefore the force
34	185	towards the wire W_1 .	towards the wire A
35	185	 <p>Figure 3.58 Two long straight parallel wires</p>	 <p>Figure 3.58 Two long straight parallel wires</p>

36	186	Hence, the magnetic the wire is W_1 is	Hence, the magnetic the wire is A is
37	186		
38	186	$\frac{\vec{F}}{l} = -\frac{\mu_0 I_1 I_2}{2\pi r} \hat{j}$	$\frac{\vec{F}}{l} = \frac{\mu_0 I_1 I_2}{2\pi r} \hat{j}$
39	188	<p>When the loop starts rotating due to this torque, the magnetic field \vec{B} is no longer in the plane of the loop. So the above equation is the special case.</p> <p>When the loop starts rotating about z axis due to this torque, the magnetic field \vec{B} is no longer in the plane of the loop. So the above equation is the special case.</p>	<p>When the loop starts rotating about z axis due to this torque, the magnetic field \vec{B} is no longer in the plane of the loop. So the above equation is the special case.</p>
40	188	$\vec{l} = b \cos\left(\frac{\pi}{2} - \theta\right) \hat{i} - \sin\left(\frac{\pi}{2} - \theta\right) \hat{k} \text{ and } \vec{B} = B \hat{i}$	$\vec{l} = b \cos\left(\frac{\pi}{2} - \theta\right) \hat{i} - b \sin\left(\frac{\pi}{2} - \theta\right) \hat{k} \text{ and } \vec{B} = B \hat{i}$

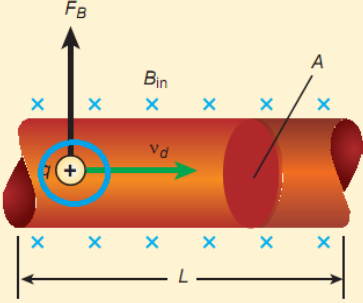
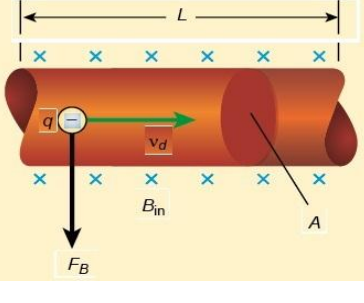
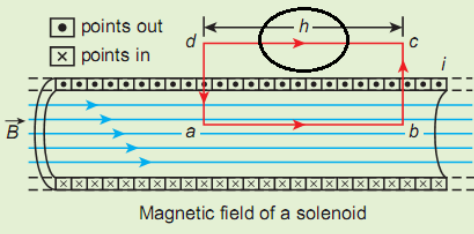
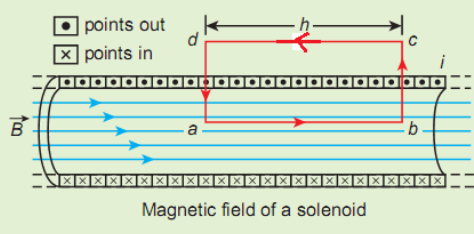
41	188	 <p>Horizontal component of $\vec{PS} = b \cos\left(\frac{\pi}{2} + \theta\right)$ Vertical component of $\vec{PS} = b \sin\left(\frac{\pi}{2} + \theta\right)$</p>	 <p>$\vec{PS} = -b \cos\left(\frac{\pi}{2} - \theta\right) \hat{i} + b \sin\left(\frac{\pi}{2} - \theta\right) \hat{k}$ Horizontal component of $\vec{PS} = -b \cos\left(\frac{\pi}{2} - \theta\right)$ Vertical component of $\vec{PS} = b \sin\left(\frac{\pi}{2} - \theta\right)$</p>
42	188	<p>(d) The force on section SP</p> $\vec{l} = b \cos\left(\frac{\pi}{2} + \theta\right) \hat{i} + b \sin\left(\frac{\pi}{2} + \theta\right) \hat{k} \text{ and } \vec{B} = B \hat{i}$ $\vec{F}_{SP} = \vec{l} \times \vec{B} = IbB \sin\left(\frac{\pi}{2} + \theta\right) \hat{j}$	<p>(d) The force on section SP</p> $\vec{l} = -b \cos\left(\frac{\pi}{2} - \theta\right) \hat{i} + b \sin\left(\frac{\pi}{2} - \theta\right) \hat{k} \text{ and } \vec{B} = B \hat{i}$ $\vec{F}_{SP} = \vec{l} \times \vec{B} = IbB \sin\left(\frac{\pi}{2} - \theta\right) \hat{j}$
43	189	 <p>(c)</p> <p>Figure 3.65 Force on the rectangular</p>	 <p>(c)</p> <p>Figure 3.65 Force on the rectangular</p>
44	189	$\vec{\tau}_{net} = baBI \sin \theta \hat{k} = ABI \sin \theta \hat{k}$	$\vec{\tau}_{net} = baBI \sin \theta \hat{j} = IabB \sin \theta \hat{j}$

45	189	$\vec{OA} = \frac{b}{2} \cos\left(\frac{\pi}{2} - \theta\right)(-\hat{i}) + \frac{b}{2} \sin\left(\frac{\pi}{2} - \theta\right)(-\hat{k})$ $= \frac{b}{2}(-\sin\theta \hat{i} + \cos\theta \hat{k})$ $\vec{OB} = \frac{b}{2} \cos\left(\frac{\pi}{2} - \theta\right)(\hat{i}) + \frac{b}{2} \sin\left(\frac{\pi}{2} - \theta\right)(-\hat{k})$ $= \frac{b}{2}(\sin\theta \hat{i} - \cos\theta \hat{k})$ $\vec{OA} \times \vec{F}_{PQ} = \left\{ \frac{b}{2}(-\sin\theta \hat{i} + \cos\theta \hat{k}) \right\} \times \{IaB \hat{k}\}$ $= \frac{1}{2}IabB \sin\theta \hat{j}$ $\vec{OB} \times \vec{F}_{RS} = \left\{ \frac{b}{2}(\sin\theta \hat{i} - \cos\theta \hat{k}) \right\} \times \{-IaB \hat{k}\}$ $= \frac{1}{2}IabB \sin\theta \hat{j}$	$\vec{OA} = \frac{b}{2} \cos\left(\frac{\pi}{2} - \theta\right)(-\hat{i}) + \frac{b}{2} \sin\left(\frac{\pi}{2} - \theta\right)(\hat{k})$ $= \frac{b}{2}(-\sin\theta \hat{i} + \cos\theta \hat{k})$ $\vec{OC} = \frac{b}{2} \cos\left(\frac{\pi}{2} - \theta\right)(\hat{i}) + \frac{b}{2} \sin\left(\frac{\pi}{2} - \theta\right)(-\hat{k})$ $= \frac{b}{2}(\sin\theta \hat{i} - \cos\theta \hat{k})$ $\vec{OA} \times \vec{F}_{PQ} = \left\{ \frac{b}{2}(-\sin\theta \hat{i} + \cos\theta \hat{k}) \right\} \times \{IaB \hat{k}\}$ $= \frac{1}{2}IabB \sin\theta \hat{j}$ $\vec{OC} \times \vec{F}_{RS} = \left\{ \frac{b}{2}(\sin\theta \hat{i} - \cos\theta \hat{k}) \right\} \times \{-IaB \hat{k}\}$ $= \frac{1}{2}IabB \sin\theta \hat{j}$
46	191	<p>a fine suspension strip (W), a small plane mirror is attached in order to measure the deflection of the coil with the help of lamp and scale arrangement. The other end of the mirror is connected to a torsion head (T). In order to pass electric current through the galvanometer, the suspension strip (W) and</p>	<p>a fine suspension strip, a small plane mirror is attached in order to measure the deflection of the coil with the help of lamp and scale arrangement. The other end of the mirror is connected to a torsion head. In order to pass electric current through the galvanometer, the suspension strip and</p>
47	195	<p>in Figure 3.74. The scale is now calibrated</p>	<p>Figure 3.70</p>
48	200	<p>(a) $\sqrt{\frac{2}{3}} \beta Il$ (b) $\sqrt{\frac{1}{3}} \beta Il$</p> <p>(c) $\sqrt{2} \beta Il$ (d) $\sqrt{\frac{1}{2}} \beta Il$</p>	<p>(a) $\sqrt{\frac{2}{3}} \beta Il$ (b) $\sqrt{\frac{1}{3}} \beta Il$</p> <p>(c) $\sqrt{2} \beta Il$ (d) $\sqrt{\frac{1}{2}} \beta Il$</p>
49	200		

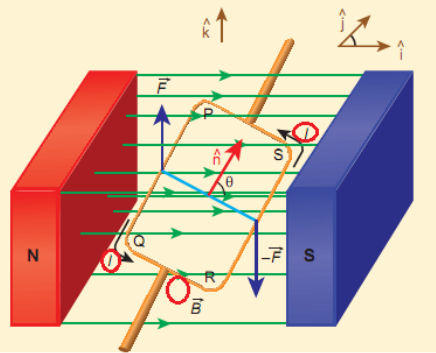
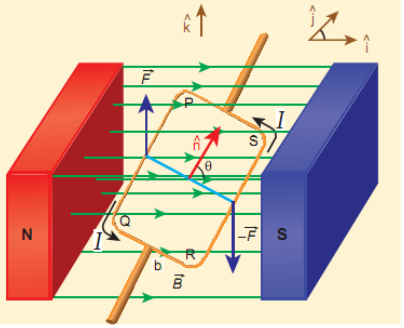
50	201	<p>15. A simple pendulum with charged bob is oscillating with time period T and let θ be the angular displacement. If the uniform magnetic field is switched ON in a direction perpendicular to the plane of oscillation then</p> <p>(a) time period will decrease but θ will remain constant</p> <p>(b) time period remain constant but θ will decrease</p> <p>(c) both T and θ will remain the same</p> <p>(d) both T and θ will decrease</p>	<p>15. The potential energy of the magnetic dipole whose dipole moment is $\vec{p}_m = (-0.5 \hat{i} + 0.4 \hat{j}) \text{ A m}^2$ kept in uniform magnetic field $\vec{B} = 0.2 \hat{i} \text{ T}$ is</p> <p>(a) -0.1 J (b) -0.8 J (c) 0.1 J (d) 0.8 J</p>
51	202	<p>2. Deduce the relation for the magnetic induction at a point due to an infinitely</p>	Magnetic field
52	202	<p>3. Obtain a relation for the magnetic induction at a point along the axis of a</p> <p>5. Calculate the magnetic induction at a</p> <p>6. Obtain the magnetic induction at a</p> <p>7. Find the magnetic induction due to a</p>	Magnetic field
53	202	<p>1. A bar magnet having a magnetic moment \vec{M} is cut into four pieces i.e., first cut in two pieces along the axis of the magnet and each piece is further cut into two pieces. Compute the magnetic moment of each piece.</p> <p style="text-align: center;">Answer $\vec{M}_{\text{new}} = \frac{1}{4} \vec{M}$</p>	<p>1. A bar magnet having a magnetic moment \vec{p}_m is cut into four pieces i.e., first cut in two pieces along the axis of the magnet and each piece is further cut into two pieces. Compute the magnetic moment of each piece.</p> <p style="text-align: center;">Answer $\vec{p}_{m_{\text{new}}} = \frac{1}{4} \vec{p}_m$</p>
54	165	$\cos \phi_2 = \frac{\text{adjacent length}}{\text{hypotenuse length}} = \frac{OM}{PM}$	$\cos(\pi - \phi_2) = \frac{\text{adjacent length}}{\text{hypotenuse length}} = \frac{OM}{PM}$ $\cos \phi_2 = -\frac{OM}{PM}$
55	167	$\vec{B} = \frac{\mu_0 I}{2\pi} \frac{R^2}{(R^2 + Z^2)^{\frac{3}{2}}} \hat{k} \quad (3.40)$	$\vec{B} = \frac{\mu_0 I}{2} \frac{R^2}{(R^2 + Z^2)^{\frac{3}{2}}} \hat{k} \quad (3.40)$
56	166	<p>angle $\angle CPO = \angle DPO = \theta$</p>	<p>angle $\angle CPO = \angle DPO = 90^\circ - \theta$</p>

57	144	 <p data-bbox="367 569 837 638">Figure 3.19 Magnetic dipole kept in a uniform magnetic field</p>	 <p data-bbox="943 569 1414 638">Figure 3.19 Magnetic dipole kept in a uniform magnetic field</p>
58	145	$W = \int_{\theta'}^{\theta} \tau d\theta = \int_{\theta'}^{\theta} p_m B \sin\theta d\theta = p_m B [-\cos\theta]_{\theta'}^{\theta}$	$W = \int_{\theta'}^{\theta} \tau d\theta = \int_{\theta'}^{\theta} p_m B \sin\theta d\theta = p_m B [-\cos\theta]_{\theta'}^{\theta}$
59	181	$\frac{1}{2} mv^2 = eV \Rightarrow v = \sqrt{\frac{eV}{2m}}$	$\frac{1}{2} mv^2 = eV \Rightarrow v = \sqrt{\frac{2eV}{m}}$
60	164	$d\vec{B} = \frac{\mu_0 I d\vec{l}}{4\pi r^2} \sin\theta \left(\begin{array}{l} \text{unit vector} \\ \text{to } d\vec{l} \end{array} \right)$	$d\vec{B} = \frac{\mu_0 I dl}{4\pi r^2} \sin\theta \left(\begin{array}{l} \text{unit vector} \\ \text{to } d\vec{l} \end{array} \right)$
61	165	<p data-bbox="367 1083 610 1115">EXAMPLE 3.15</p> <p data-bbox="367 1131 800 1226">Calculate the magnetic field at a point P which is perpendicular bisector to current carrying straight wire as shown in figure.</p> 	<p data-bbox="943 1083 1187 1115">EXAMPLE 3.15</p> <p data-bbox="943 1131 1435 1247">Calculate the magnetic field at a point P which is perpendicular bisector to current carrying straight wire as shown in figure.</p> 

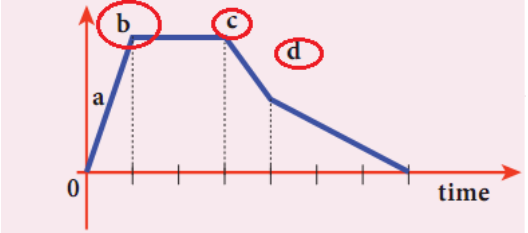
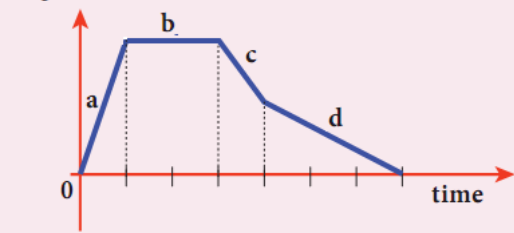
62	165	<p>EXAMPLE 3.16</p>	<p>EXAMPLE 3.16</p>
63	165		
64	170	Given that $I = 1 \text{ A}$	Given that $I = 1 \text{ A}$
65	171	<p>Figure 3.44 The direction of magnetic field of solenoid</p>	<p>Figure 3.44 The direction of magnetic field of solenoid</p>
66	178	<p>EXAMPLE 3.22</p> <p>An electron moving perpendicular to a uniform magnetic field 0.500 T undergoes circular motion of radius 2.80 mm. What is the speed of electron?</p>	<p>EXAMPLE 3.22</p> <p>An electron moving perpendicular to a uniform magnetic field 0.500 T undergoes circular motion of radius 2.50 mm. What is the speed of electron?</p>
67	179	<p>The radius of the path of ${}_{92}^{238}\text{U}$ is r_{238} then</p> $r_{238} = \frac{m_{238}v}{ q B} = \frac{3.90 \times 10^{-25} \times 1.00 \times 10^5}{1.6 \times 10^{-19} \times 0.500}$	<p>The radius of the path of ${}_{92}^{238}\text{U}$ is r_{238} then</p> $r_{238} = \frac{m_{238}v}{ q B} = \frac{3.95 \times 10^{-25} \times 1.00 \times 10^5}{1.6 \times 10^{-19} \times 0.500}$

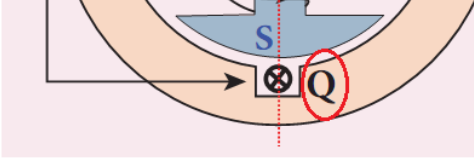
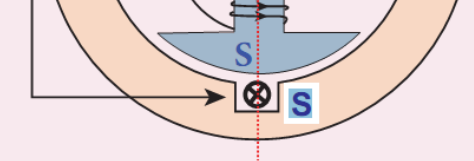
68	183	$I = neAvd$ (3.64)	$I = neAv_d$ (3.64)
69	183		
70	185	$d\vec{F} = (I_2 d\vec{l} \times \vec{B}_1) = -I_2 dl \frac{\mu_0 I_1}{2\pi r} (\hat{k} \times \hat{i})$	$\vec{F} = (I_2 d\vec{l} \times \vec{B}_1) = -I_2 dl \frac{\mu_0 I_1}{2\pi r} (\hat{k} \times \hat{i})$
71	170	$\vec{B} \cdot 2\pi r = \mu_0 I$	$B \cdot 2\pi r = \mu_0 I$
72	171	 Magnetic field of a solenoid Figure 3.46 Amperian loop for solenoid	 Magnetic field of a solenoid Figure 3.46 Amperian loop for solenoid
73	174	$\oint_{loop2} \vec{B}_s \cdot d\vec{l} = \oint_{loop2} B dl \cos\theta = B 2\pi r_2$	$\oint_{loop2} \vec{B}_s \cdot d\vec{l} = \oint_{loop2} B_s dl \cos\theta = B_s 2\pi r_2$
74	191	the sides QR and SP are always parallel to the B-field (magnetic field) and experience no force. The sides PQ and RS are always parallel to the B-field and experience force	the sides QR and SP are always parallel to the B-field (magnetic field) and experience no force. The sides PQ and RS are always perpendicular to the B-field and experience force
75	201	11) b 12) c 13) b 14) d	11) c 12) c 13) b 14) d
76	194	Since, the shunt resistance is a very low resistance and the ratio $\frac{S}{R_g}$ is also small. This means, R_g is also small, i.e., the resistance	Since, the shunt resistance is a very low resistance and the ratio $\frac{S}{R_g}$ is also small. This means, R_a is also small, i.e., the resistance

77	185	In the same manner, we compute the <u>magnitude</u> of net magnetic induction due to current I, (in conductor A) at a distance r in	In the same manner, we compute the net magnetic induction due to current I (in conductor A) at a distance r in
78	184	Hence Lorentz force on the wire of length dl is the product of the number of the electrons <u>(N = nA dl)</u> and the force acting on an electron.	Hence Lorentz force on the wire of length dl is the product of the number of the electrons (N = nA dl) and the force acting on each electron.
79	175	<p>7. The direction of \vec{F}_m on negative charge is opposite to the direction of \vec{F}_m on positive charge provided other factors are identical as shown Figure 3.49</p> <p>8. If velocity \vec{v} of the charge q is along magnetic field \vec{B} then, \vec{F}_m is zero</p>	<p>6. The direction of \vec{F}_m on negative charge is opposite to the direction of \vec{F}_m on positive charge provided other factors are identical as shown Figure 3.49</p> <p>7. If velocity \vec{v} of the charge q is along magnetic field \vec{B} then, \vec{F}_m is zero</p>
80	194	to zero. <u>Hence</u> the reading in ammeter is always lesser than the actual current in the	to zero. But in reality , the reading in ammeter is always lesser than the actual current in the
81	194	$\frac{\Delta I}{I} \times 100\% = \frac{I_{ideal} - I_{actual}}{I_{actual}} \times 100\%$	$\frac{\Delta I}{I} \times 100\% = \frac{I_{ideal} - I_{actual}}{I_{ideal}} \times 100\%$
82	190	$\vec{\tau}_{net} = \vec{p} \times \vec{E}$ which is given in the Unit 1. (Section 1.4.3)	$\vec{\tau}_{net} = \vec{p} \times \vec{E}$ which is given in the Unit 1. (Section 1.4.3) and also in unit 3 (section 3.3) $\vec{\tau}_{net} = \vec{p}_m \times \vec{B}$
83	164	$dl = a \operatorname{cosec}^2 \theta d\theta$ $d\vec{B} = \frac{\mu_0 I}{4\pi} \frac{(a \operatorname{cosec}^2 \theta d\theta)}{(a \operatorname{cosec} \theta)^2} \sin \theta d\theta \hat{n}$ $d\vec{B} = \frac{\mu_0 I}{4\pi} \frac{(a \operatorname{cosec}^2 \theta d\theta)}{a^2 \operatorname{cosec}^2 \theta} \sin \theta d\theta \hat{n}$ $= \frac{\mu_0 I}{4\pi a} \sin \theta d\theta \hat{n}$	$dl = a \operatorname{cosec}^2 \theta d\theta$ $d\vec{B} = \frac{\mu_0 I}{4\pi} \frac{(a \operatorname{cosec}^2 \theta d\theta)}{(a \operatorname{cosec} \theta)^2} \sin \theta \hat{n}$ $d\vec{B} = \frac{\mu_0 I}{4\pi} \frac{(a \operatorname{cosec}^2 \theta d\theta)}{a^2 \operatorname{cosec}^2 \theta} \sin \theta \hat{n}$ $= \frac{\mu_0 I}{4\pi a} \sin \theta d\theta \hat{n}$
84	165	Hence, $\vec{B} = \frac{\mu_0 I}{4\pi a} \frac{2y}{\sqrt{y^2 + 4a^2}} \hat{n}$	Using the equation $\vec{B} = \frac{\mu_0 I}{4\pi a} (\cos \phi_1 - \cos \phi_2) \hat{n}$ We get $\vec{B} = \frac{\mu_0 I}{4\pi a} \frac{2y}{\sqrt{y^2 + 4a^2}} \hat{n}$

85	187	 <p>Figure 3.63 Unit vector makes an angle θ with the field</p>	 <p>Figure 3.63 Unit vector makes an angle θ with the field</p>
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Unit 4(English medium)

S.No	P.No	Error	Correction
1	264	$= V_m I_m \sin \omega t [\sin \omega t \cos \phi - \cos \omega t \sin \phi]$ $P = V_m I_m [\cos \phi \sin^2 \omega t - \sin \omega t \cos \omega t \sin \phi]$ <p style="text-align: right;">(4.61)</p>	$= V_m I_m \sin \omega t [\sin \omega t \cos \phi + \cos \omega t \sin \phi]$ $P = V_m I_m [\cos \phi \sin^2 \omega t + \sin \omega t \cos \omega t \sin \phi]$ <p style="text-align: right;">(4.61)</p>
2	279	<p>is 0.04 m. Find the magnetic flux of a turn when it carries a current of 1 A.</p> <p style="text-align: right;">(Ans: 1.26 Wb)</p>	<p>is 0.04 m. Find the magnetic flux of a turn when it carries a current of 1 A.</p> <p style="text-align: right;">(Ans: 0.63×10^{-4} Wb)</p>
3	280	<p>in 0.04 second. Calculate the induced emf in solenoid 2.</p> <p style="text-align: right;">(Ans: 1.81H; 271.5 V)</p>	<p>in 0.04 second. Calculate the induced emf in solenoid 2.</p> <p style="text-align: right;">(Ans: 1.81H; -271.5 V)</p>
4	280	<p>Magnetic flux</p> 	<p>Magnetic flux</p> 

5	240	 <p data-bbox="396 373 867 445">Figure 4.32 Stator core with a rectangular loop and 2-pole rotor</p>	 <p data-bbox="958 373 1429 445">Figure 4.32 Stator core with a rectangular loop and 2-pole rotor</p>
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Unit 5(English medium)

S.No	P.No	Error	correction
1	285	$\oint_l \vec{B} \cdot d\vec{l} = -\frac{\partial}{\partial t} \Phi_E = -\frac{\partial}{\partial t} \oint_s \vec{B} \cdot d\vec{S} \quad (5.2)$ $\oint_l \vec{E} \cdot d\vec{l} = -\frac{\partial}{\partial t} \Phi_E = -\frac{\partial}{\partial t} \oint_s \vec{B} \cdot d\vec{S}$	$\oint_l \vec{B} \cdot d\vec{l} = -\frac{\partial}{\partial t} \Phi_E = -\frac{\partial}{\partial t} \oint_s \vec{E} \cdot d\vec{A} \quad (5.2)$ $\oint_l \vec{B} \cdot d\vec{l} = -\frac{\partial}{\partial t} \Phi_E = -\frac{\partial}{\partial t} \oint_s \vec{E} \cdot d\vec{A}$
2	285	$\oint_l \vec{B} \cdot d\vec{l} = \mu_0 I_C \quad (5.4)$	$\oint_l \vec{B} \cdot d\vec{l} = \mu_0 I(t) \quad (5.3)$
3	285	the net current I threading through the	Passing
4	286	$\Phi_E = \iiint \vec{E} \cdot d\vec{A} = EA = \frac{q}{\epsilon_0}$	$\Phi_E = \oint_s \vec{E} \cdot d\vec{A} = EA = \frac{q}{\epsilon_0}$
5	286	$\oint_l \vec{B} \cdot d\vec{S} = \mu_0 I = \mu_0 (I_C + I_d) \quad (5.6)$	$\oint_l \vec{B} \cdot d\vec{l} = \mu_0 I = \mu_0 (I_C + I_d) \quad (5.6)$
6	292	Hz. It obeys reflection and polarization.	Hz. It shows reflection and polarization.
7	293	give the wavelength of microwave.	give the half wavelength of microwave.
8	297	<ul style="list-style-type: none"> Maxwell modified Ampere's law as $\oint_l \vec{B} \cdot d\vec{S} = \mu_0 I = \mu_0 (I_C + I_d)$ 	<ul style="list-style-type: none"> Maxwell modified Ampere's law as $\oint_l \vec{B} \cdot d\vec{l} = \mu_0 I = \mu_0 (I_C + I_d)$

9	299	(b) $\oint \vec{E} \cdot d\vec{A} = 0$ (c) $\oint \vec{E} \cdot d\vec{A} = \mu_0 I_{enclosed} + \mu_0 \epsilon_0 \frac{d}{dt} \int \vec{E} \cdot d\vec{A}$	(b) $\oint \vec{B} \cdot d\vec{A} = 0$ (c) $\oint \vec{B} \cdot d\vec{l} = \mu_0 I_{enclosed} + \mu_0 \epsilon_0 \frac{d}{dt} \int \vec{E} \cdot d\vec{A}$
10	300	$E = E_0 \sin[10^6(x) - \omega t]$	$E = E_0 \sin[10^6 x - \omega t]$
11	301	Answer: $18.84 \times 10^{-6} \text{ m}$	Answer: $18.84 \times 10^2 \text{ m}$
12	301	Answer: $\lambda = 3 \times 10^{-18} \text{ m}$ and $\vec{E}(x,t) = 3 \times 10^3 \sin(2.09 \times 10^{18} x - 6.28 \times 10^{10} t) \hat{i} \text{ NC}^{-1}$	Answer: $\lambda = 3 \times 10^{-2} \text{ m}$ and $\vec{E}(x,t) = 3 \times 10^3 \sin(2.09 \times 10^2 x - 6.28 \times 10^{10} t) \hat{i} \text{ NC}^{-1}$
13	301	Answer: $v = 2 \text{ m s}^{-1}$	Answer: $v = 2 \times 10^{18} \text{ m s}^{-1}$
14	299	4. Which of the following are false for electromagnetic waves (a) transverse (b) mechanical waves (c) longitudinal (d) produced by accelerating charges	4. Which of the following are false for electromagnetic waves (a) transverse (b) non-mechanical waves (c) longitudinal (d) produced by accelerating charges